

Review of Forces

Weight: $\vec{F}_g = m\vec{g}$

Friction: $F_f = \mu F_N$ (static + kinetic)

* Draw a FBD.*

Newton's Laws:

1. Law of Inertia

2. $\vec{F}_{net} = m\vec{a}$ (* FBD *)

3. ???

kinematics problems
($a, v_1, v_2, d, \Delta t$)

Newton's Third Law

For every action force on object B due to object A, there is a reaction force, equal in magnitude but opposite in direction, due to object B acting back on object A.

$$\vec{F}_{A \text{ on } B} = -\vec{F}_{B \text{ on } A}$$

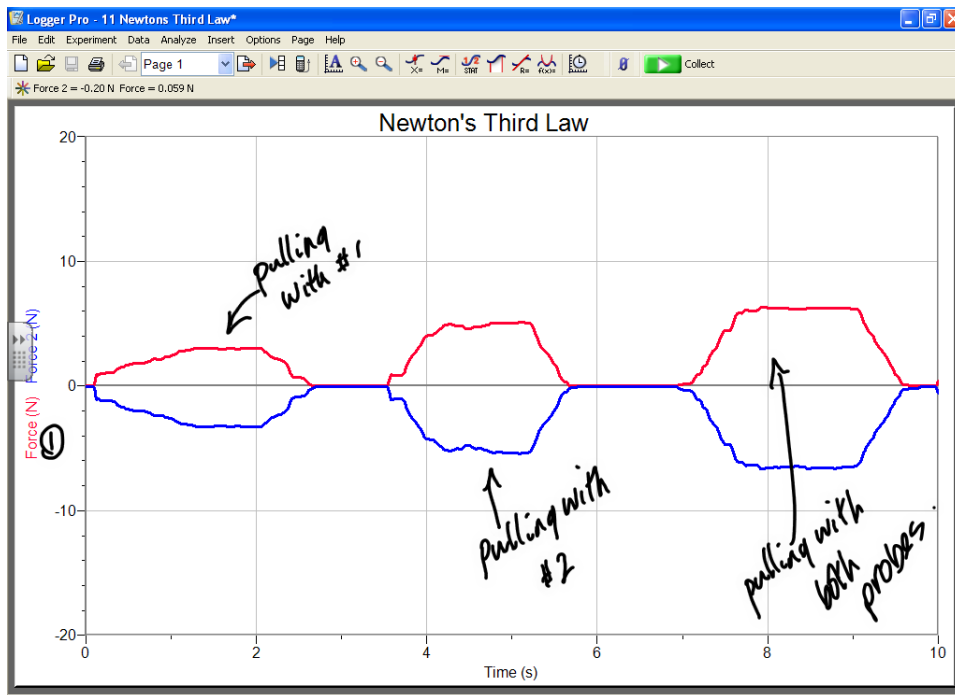
Thought Experiments (p153)

Come back to this →

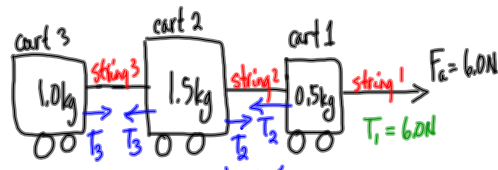
	A	B	C	D
1		3	11	2
2	4	1	3	14
3			8	7

← Newton's 3rd Law

← $F_g + F_{air}$
inertia.
 $+ F_g$



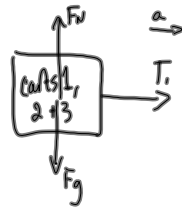
Example of Applying Newton's Third Law



Find the tension (force) in each String: * neglect friction.

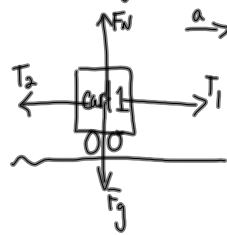
The tension in string 1: $T_1 = 6.0\text{N}$

Find the acceleration: $\vec{F}_{\text{net}} = m\vec{a}$ (consider all 3 carts as one object)



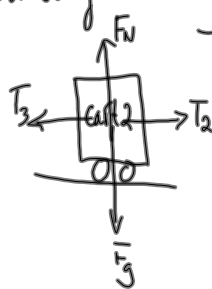
$T_1 = ma$
 $6.0\text{N} = (3.0\text{kg})a$
 $a = 2.0\text{m/s}^2$
 ↑ each cart will have the same acceleration

Consider only Cart 1:



$\vec{F}_{\text{net}} = m\vec{a}$
 $T_1 - T_2 = ma$
 $6.0\text{N} - T_2 = (0.5\text{kg})(2.0\text{m/s}^2)$
 $6.0\text{N} - T_2 = 1.0\text{N}$
 $T_2 = 5.0\text{N}$

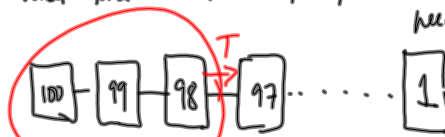
Consider only Cart 2:



$\vec{F}_{\text{net}} = m\vec{a}$
 $T_2 - T_3 = ma$
 $5.0\text{N} - T_3 = (1.5\text{kg})(2.0\text{m/s}^2)$
 $5.0\text{N} - T_3 = 3.0\text{N}$
 $T_3 = 2.0\text{N}$

What if you had a very long train (100 cars)?

What force does the coupling b/w car 97 and 98 need withstand?



total mass $a \rightarrow \vec{F}_{\text{net}} = m\vec{a}$
 $T = m_{97,98} a$

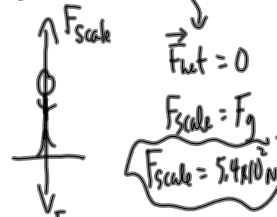
Apparent Weight (Feel-Like Weight) (MP|184)

$m = 55 \text{ kg}$

$F_{\text{scale}} = ?$, not moving

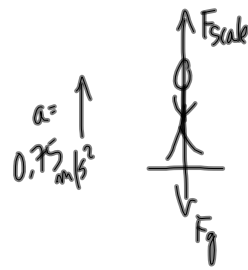
$F_{\text{scale}} = ?$, $\vec{a} = 0.75 \text{ m/s}^2$ [up]

Not moving: ($a = 0 \text{ m/s}^2$)



$F_g = mg$
 $F_g = (55 \text{ kg})(9.8 \text{ m/s}^2)$
 $F_g = 539.55 \text{ N}$
 $F_g = 5.4 \times 10^2 \text{ N}$

Moving up: ($a = +0.75 \text{ m/s}^2$)



$F_{\text{net}} = ma$
 $F_{\text{scale}} - F_g = ma$
 $F_{\text{scale}} = ma + F_g$
 $F_{\text{scale}} = (55 \text{ kg})(+0.75 \text{ m/s}^2) + 539.55 \text{ N}$
 $F_{\text{scale}} = 41.25 \text{ N} + 539.55 \text{ N}$

Normal ($a = 0$)

- not moving
- constant velocity

$F_{\text{scale}} = 580.8 \text{ N}$ ON
 $F_{\text{scale}} = 5.8 \times 10^2 \text{ N}$ feel heavier

Heavier (+ acc)

- speeding up / going up
- slowing down / going down

Lighter (- acc)

- slowing down / going up
- speeding up / going down

What if the cable is cut?
 Your scale reading would be 0 Newtons!!

TO DO:

- ① PP|182|18-19 (Towing Problems)
- ② PP|186|21-23
- ③ Hw Probe (Tues)
 from PP|163 or PP|168